

PRACTICE 1 Exercise 3
COMPUTATIONAL STRUCTURAL MECHANICS AND DYNAMICS
Marcos Boniquet Aparicio

It's chosen a problem type: *Plane_State*.

Material, self weight condition, and constraints are settled.

The particular case for the plate structure of concrete **without steel plates** is calculated, in order to compare it with the latter.

Concrete:

$$E=3 \cdot 10^{10} \text{ Pa}$$

$$\nu=0,2$$

$$\text{thickness}=0,25 \text{ m}$$

Steel:

$$E=2,1 \cdot 10^{11} \text{ Pa}$$

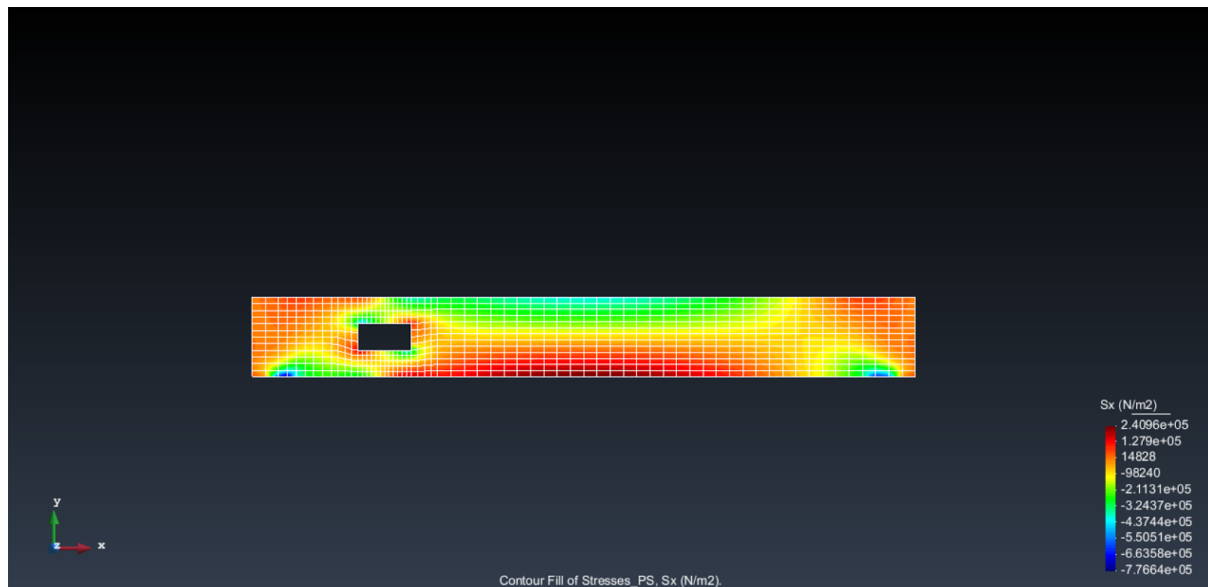
$$\nu=0,3$$

$$\text{thickness}=0,016 \text{ m}$$

It's been built a quadrilateral 4-node mesh 772 elements and 864 nodes, thus 864-6 fixed nodes, and two DoF by node=**1716 DOF**. Mesh is finer near the hole.

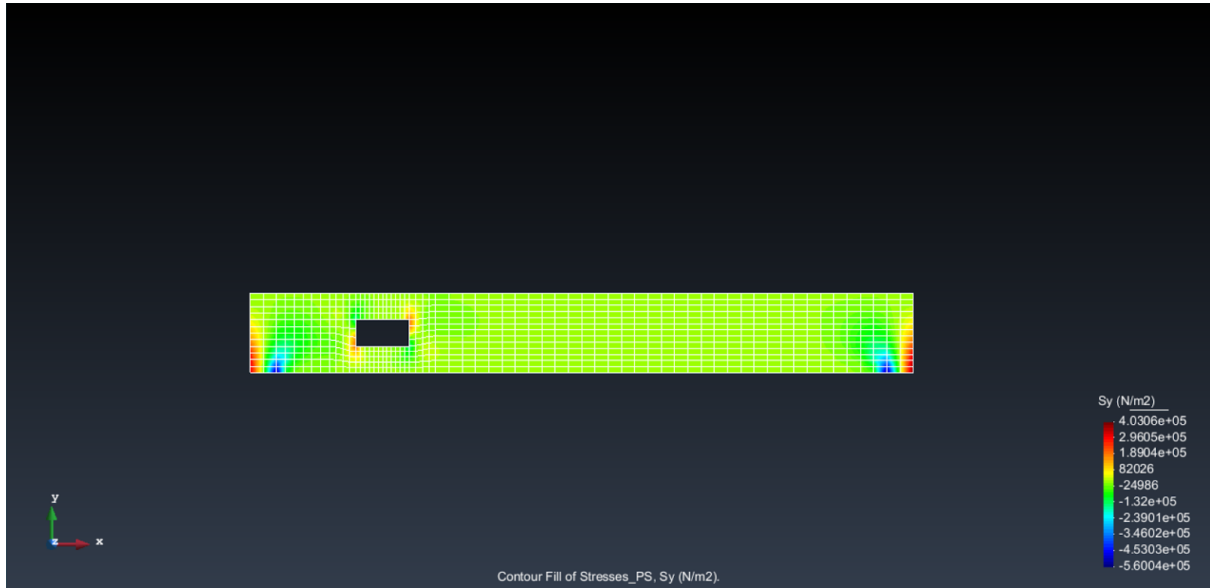
Without steel plates

Stresses:



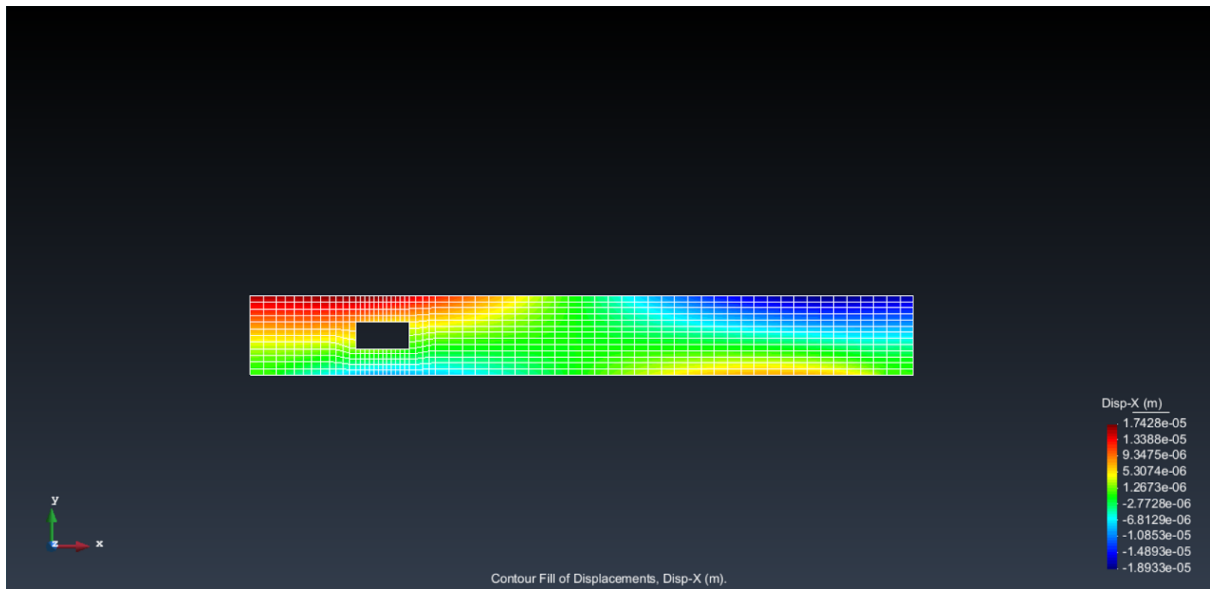
Sx [N/m2]

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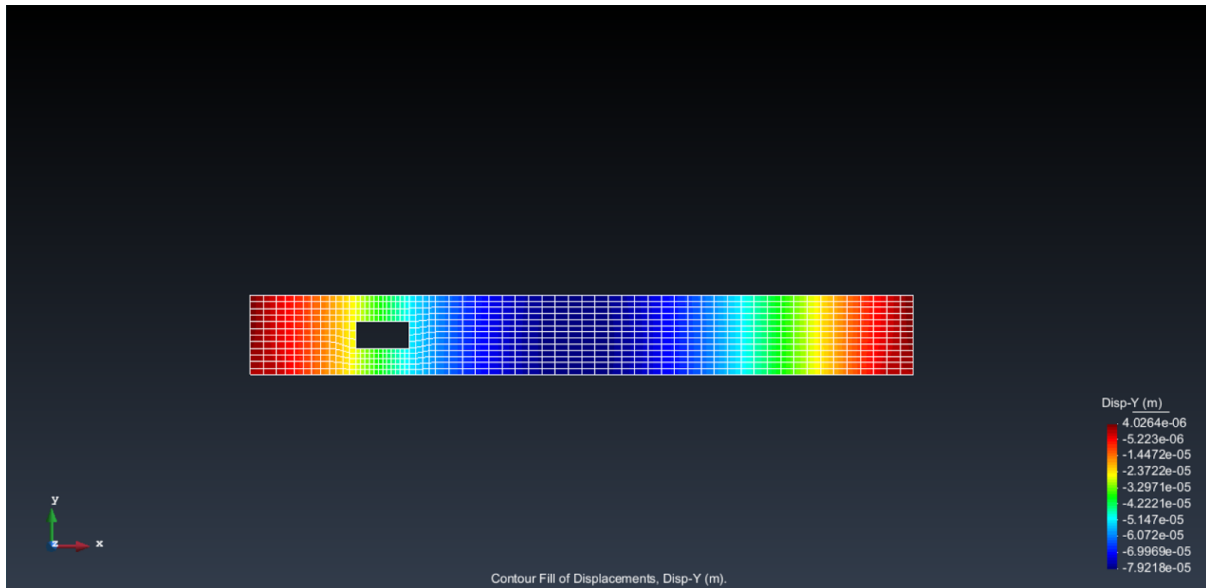
S_y [N/m²]

Displacements:



x -Displacement [m]

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y-Displacement [m]

Summarizing, for ALL-concrete assumption:

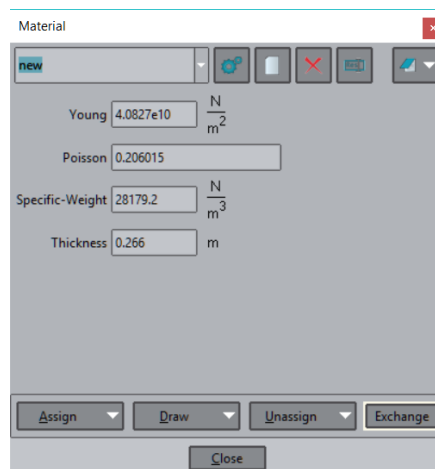
$S_x^{\max} = 2,41 \cdot 10^5 \text{ N/m}^2$ and $7,77 \cdot 10^5 \text{ N/m}^2$ at the bottom-center of the plate and at the *fixed* elements respectively, corresponding to the compression and traction respectively.

$S_y^{\max} = 4,03 \cdot 10^5 \text{ N/m}^2$ and $5,6 \cdot 10^5 \text{ N/m}^2$, compression and traction at the fixed elements.

$\delta_x^{\max} = 1,74 \cdot 10^{-5} \text{ m}$ and $1,89 \cdot 10^{-5} \text{ m}$, at left and right top corners.

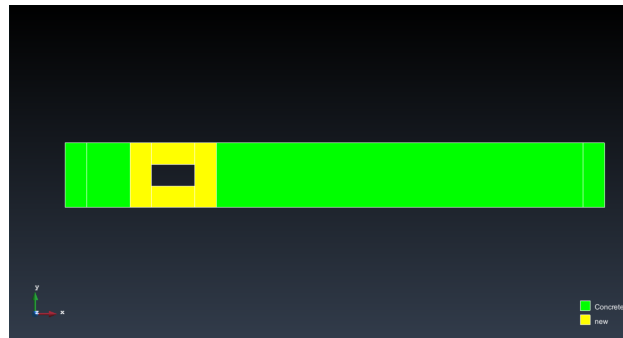
$\delta_y^{\max} = 7,92 \cdot 10^{-5} \text{ m}$ at the bottom-center of the plate.

Now it's time to consider **both steel plates**. The problem is focused as plane-stress problem. We consider a new material in the zone where the plates are, with properties which belong to the weight (width) of each material. This is 96% concrete and a mere 4% (aprox.) of steel.



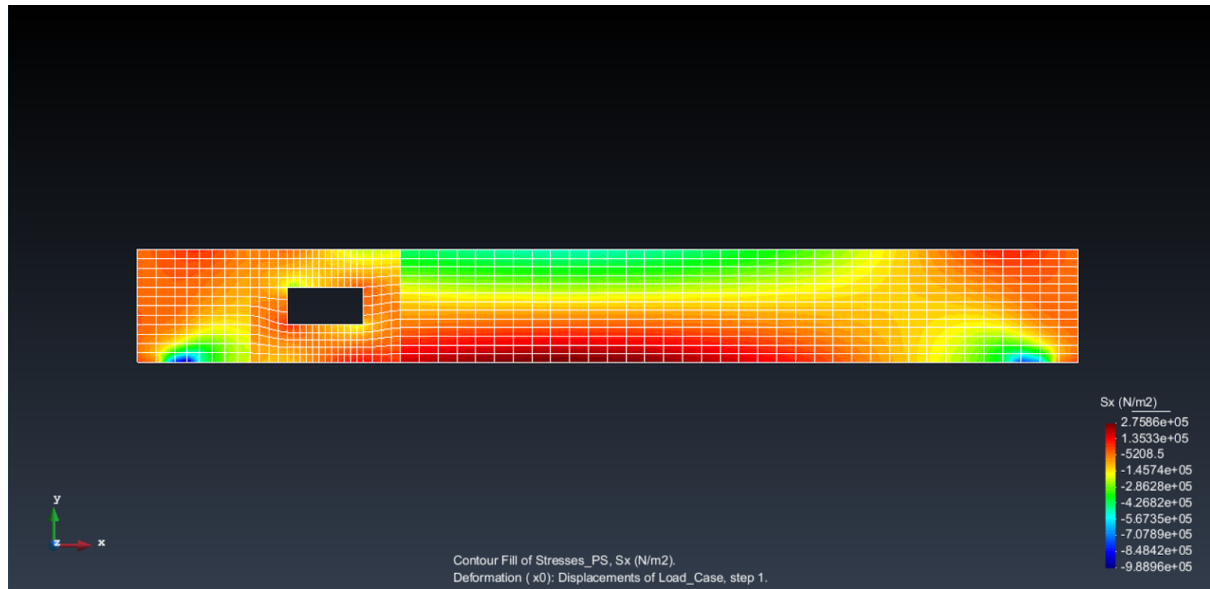
New mat. assumption

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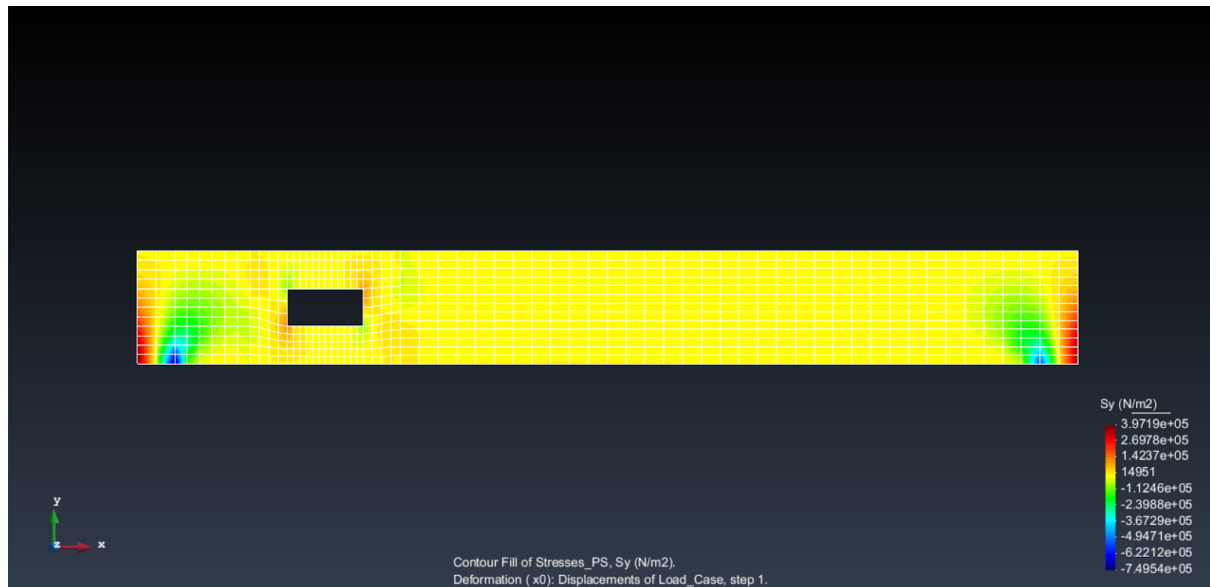


Material distribution

Stresses:



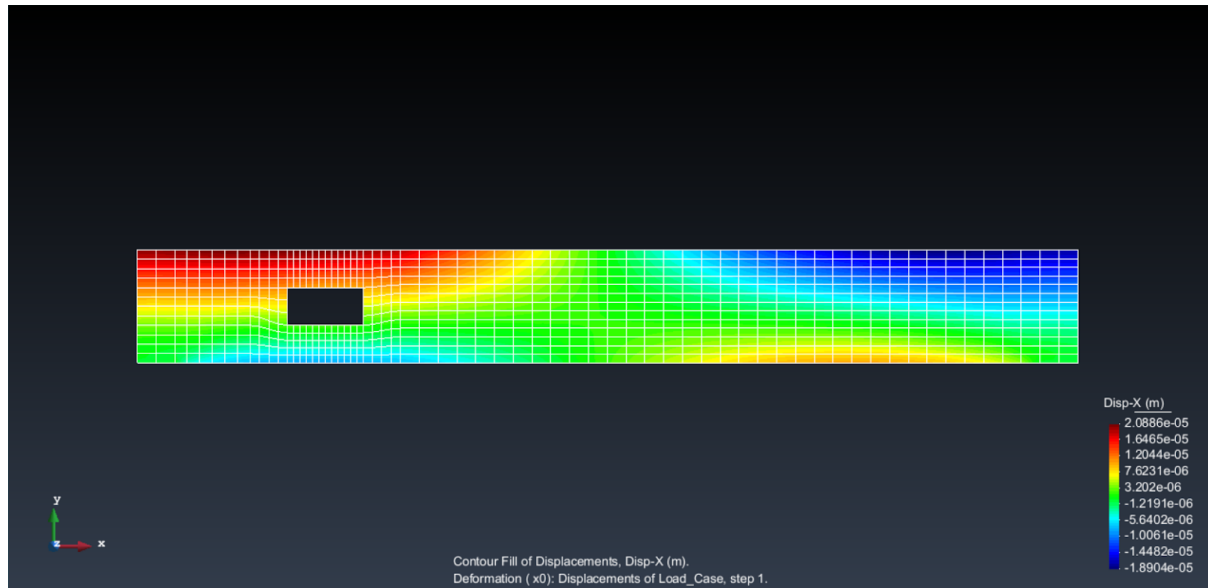
S_x [N/m²]



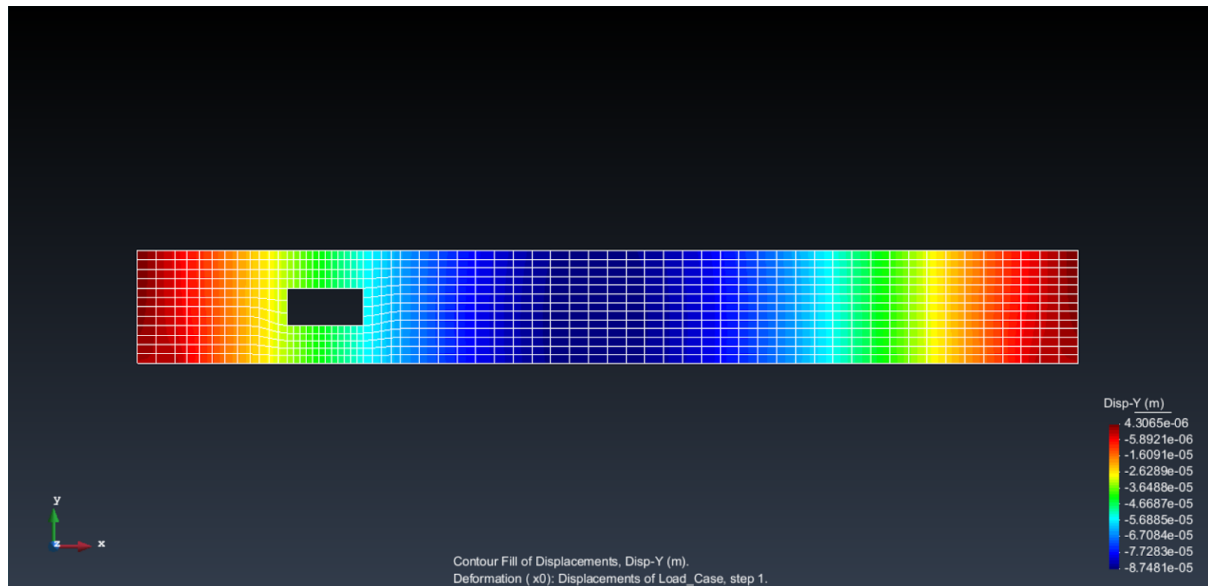
S_y [N/m²]

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Displacements:



x-Displacement [m]



y-Displacement [m]

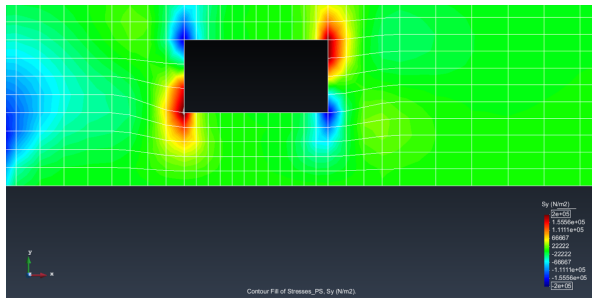
Summarizing, for case with steel plates attached:

- $S_x^{\max} = 2,76 \cdot 10^5 \text{ N/m}^2$ and $9,89 \cdot 10^5 \text{ N/m}^2$ at the bottom-center of the plate and at the *fixed* elements respectively, corresponding to the compression and traction respectively.
- $S_y^{\max} = 3,97 \cdot 10^5 \text{ N/m}^2$ and $7,49 \cdot 10^5 \text{ N/m}^2$, compression and traction at the fixed elements.
- $\delta_x^{\max} = 2,08 \cdot 10^{-5} \text{ m}$ and $1,89 \cdot 10^{-5} \text{ m}$, at left and right top corners.
- $\delta_y^{\max} = 8,748 \cdot 10^{-5} \text{ m}$ at the bottom-center of the plate.

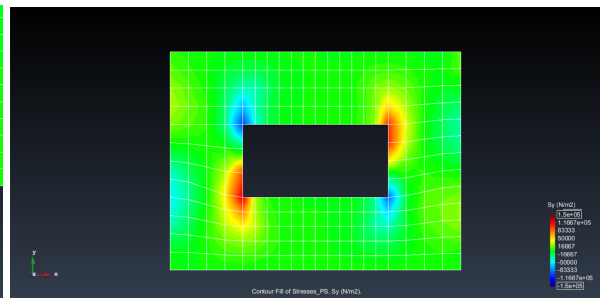
So the overall global values do not vary so much. However, if a more detailed analysis is taken into the steel plates part, higher changes are seen. The comparison takes into account, as demanded, the particular case for stresses (absolute values):

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Sx[N/m2]:



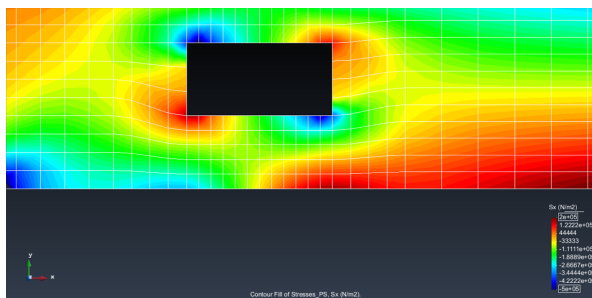
All concrete



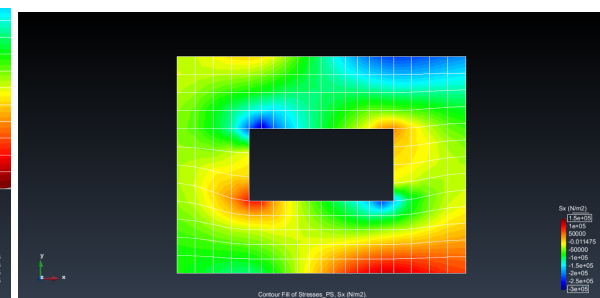
With Steels plates

Diminishes from $2 \cdot 10^{-5}$ to $1,5 \cdot 10^{-5}$ both in compression and traction. (-25%)

Sy[N/m2]:



All concrete



With Steels plates

Diminishes from $2 \cdot 10^{-5}$ to $1,5 \cdot 10^{-5}$ in compression (-25%)

and

Diminishes from $5 \cdot 10^{-5}$ to $3 \cdot 10^{-5}$ in traction. (-40%)